

In Fig. 1 we can see the «typical» SE DHT output stage. The purpose of pot, P1 (50 Ohms/2W typical) is to provide the way to «nulling» the hum. In Fig. 2 a,b,c, we can see other ways of connecting the filaments to cathode resistor R_k . We want potentiometer, to have some AC hum control, `cos we'll use «traditional» 5V AC heating. I doesn't have a multi-turn (precision) 50 Ohms/2W pot, and I used the circuit on Fig. 2c. It has some advantage that current flows mostly through R_1 and R_2 , and not through (possible problematic) center-wiper contact. We have «fine» adjustment, Fig. 2d. Now we can calculate the cathode resistor. With $U_{ak} = 350V$ and $I_a = I_k = 80mA$, we have about $U_{gk} = -70V$. Then, by Ohm's Law: $R_k = U_k / I_k = 70 / 0,08 = 875$ Ohms. Not a standard value, but we can use the combination, I used 820 Ohms/25W Al-clad chasis mounted resistor and 56 Ohms/1W in a series. If necessary, lower value = higher current, and opposite. Dissipation in R_k is $P_{rk} = I_k^2 * R_k = U_k * I_k = U_k^2 / I_k = 5,6W$ – we must use at least 10W resistor here. Calculating the cathode bypass capacitor C_k : We want C_k to «bypass» all AC frequencies of interest, intuitively – we need f-3dB at about 1-2 Hz. But:- Power bandwidth f-3dB of our OPT is about 20Hz, and there is not much sense in amplifying the subsonic frequencies that can saturate the core- We need not too large RC time constant here – quick bias «recovering» from overloads- For say, 2Hz –3dB high pass frequency we'd need large and expensive film cap, or electrolytic (hmmm...) Then, I choose low-cut frequency around 5-10 Hz. Let's see: Our C_k «see» the cathode impedance $Z_k = (r_p + R_a) / (\mu + 1)$ in parallel with cathode resistor R_k , or $R_{cath} = Z_k // R_k$. The formula for $C_k = 1 / (2\pi * f * R_{cath})$, and when we put those equations together, we get the final formula for cathode capacitor: $C_k = [(\mu + 1) / (r_p + R_a) + 1 / R_k] / 2\pi * f$, or obviously f-3dB is: $f-3 = [(\mu + 1) / (r_p + R_a) + 1 / R_k] / 2\pi * C_k$ When we put some numbers in it, and use the standard 47μF/100V MKP cap here, we get f-3dB about 8,4 Hz: $f-3 = [(3,85 + 1) / (650 + 3000) + 1 / 875] / 2 * 3,141 * 47 * 10^{-6} = 8,4$ Hz Note that we use $R_a = 3000$ Ohms, like constant resistance value, but our OPT is far from that, we neglected L_p , R_w , etc. But, possible mistake is small, and can be neglected for our purposes. The quality of C_k is critical, and it's recommended that we use quality film cap here. And not just that, see Fig. 3 – SE stage «redrawn» to include PS capacitor(s). We can see that both C_k and C_{ps} are inside the output signal current loop, and that both caps are practically in a series. Then, quality of C_{ps} is also critical, and it can also be MKP or MKV types. In Fig. 4 we can see the final SE stage, with all the values. I choose the «safe» value for grid-stop resistor $R_{gs} = 1k$, non-inductive type (say, carbon-comp), mounted close to the tube pin. For grid resistor R_g , we need small value from the output tube standpoint, and large value from the driver tube standpoint. Some people put grid-choke here (rel. small DC resistance and large AC impedance), but we'll use «standard» 220k here, somewhat smaller than max. recommended 250k from 300B data. I choose 0,22μF for coupling capacitor C_i (between the driver tube and output stage). We have the first order high-pass filter here, 6dB/octave. Again, we need «low enough» -3dB high pass point, but not too large RC time constant, because of possible «blocking» effect. Again, the quality of this capacitor is critical. Combination of 220k/0,22μ gives: $f-3 = 1 / (2\pi * R_g * C_i) = 1 / (2 * 3,141 * 220000 * 0,22 * 10^{-6}) = 3,3$ Hz. The formula for $C_i = 1 / (2\pi * f * R_g)$, obviously :-). We have another «unpleasant» effect with our output stage, the input capacitance: $C_{in} = C_{miller} + C_{gf} + C_{strays} = (A + 1) * C_{ag} + C_{gf} + C_{strays}$. From Parts 1&2 we know that amplification of our output stage is output AC signal swing divided with input AC signal swing, or $A = U_a / U_{gk} = 3$. Then

we have: $C_{in} = (3+1)*15 + 9 + 11 = 80\text{pF}$. Values for C_{ga} and C_{gf} we have in 300B data, and value for C_{str} we estimated. Now, with 80pF of input capacitance and at least 100kHz driver bandwidth, our output resistance R_{out} from the driver can be the maximum $R_{out} = 1/(2\pi*f*C_{in}) = 1/(2*3,141*100000*80*10^{-12}) = 19,9\text{k}\Omega$. Although for «driving» $Z_{cin} = 1 / 2*\pi*f*C_{in} = 99,5\text{ k}\Omega$ on 20 kHz with full input signal of 49,5Vrms requires just $I = U_{gk}/Z_{cin} = 0,5\text{mA}$ of AC driver signal current, we need driver that «works» with at least a few times that current, to avoid so called «slewing» distortion. In Fig. 5 we can see the possible wiring of our output stage. C_k can't be too close to the hot R_k . Of course, the designing methods here are «shortened» and simplified, and some designing choices are subjective. But, I hope that DIY-ers can have some «basis» in above, for understanding and experimenting with SE stages...

Subject: my favourite part....

Posted by [PakProtector](#) on Sun, 30 Oct 2005 20:50:56 GMT

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Hey-Hey!!!, You mention the 300B grid requiring a max of 0,5 mA. This is all very well and good. No issues with the math. The critical thing is to look at what delivering that current from a non-zero output Z would be. If we take a 5687, with its output Z of ~3k, that 0,5 ma is going to create a 1.5V drop across it. Not a large fraction indeed. Take a 6SN7 with an unbiased cathode R of 1k, and plate Z becomes $R_p + (u+1)R_k$. If we take R_p of 7k, and u to be 17, we are going to wind up with an output Z of 7k + 18k or 25k Ω ...with 0,5 mA, this drops 12,5 V....a lot more than our 5687 example. cheers, Douglas

Subject: Re: my favourite part....

Posted by [Damir](#) on Mon, 31 Oct 2005 17:42:13 GMT

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Good point, thanks. I had a plan to write something about driver(s) issues in the next "chapter(s)"... BTW, I found a typing mistake, the correct formula (obviously) for cathode resistor dissipation is $P_{rk} = U_k^2/R_k$.
